CAPACITY ASSESSMENT OF A HIGH-VOLTAGE LATTICE TOWER UNDER DIFFERENT LOADING PATTERNS

Author: Fábio Paiva (IST)

Supervisors: Prof. Luís Guerreiro (IST) and Prof. Carneiro Barros (FEUP)









ANALYSIS AND MITIGATION OF RISKS IN INFRASTRUCTURES | INFRARISK-

Outline

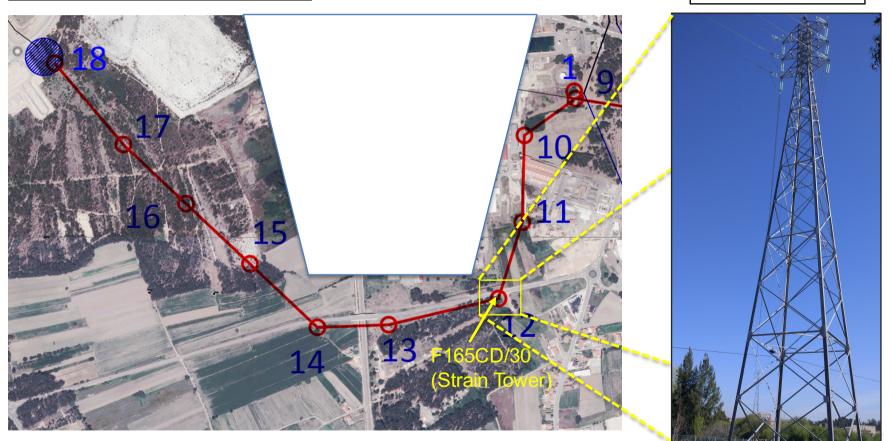
- Overhead Line System Case study description;
 - Overhead Power Line Layout;
 - Lattice tower description;
- Capacity assessment of a high-voltage lattice tower under different loading patterns
 - Numerical modeling in OpenSees of a Lattice Tower
 - Model validation in elastic range (SAP2000 vs OpenSees)
 - Pushover analysis for different model assumptions under different loading patterns (Uniform, Rectangular, Inverted Triangular and Modal)
- Conclusions and future developments

Case Study Presentation – Line Layout

Overhead High Voltage Line - Sub-transmission <u>60 kV Line</u> from EDP, DISTRIBUIÇÃO located in the North of Portugal

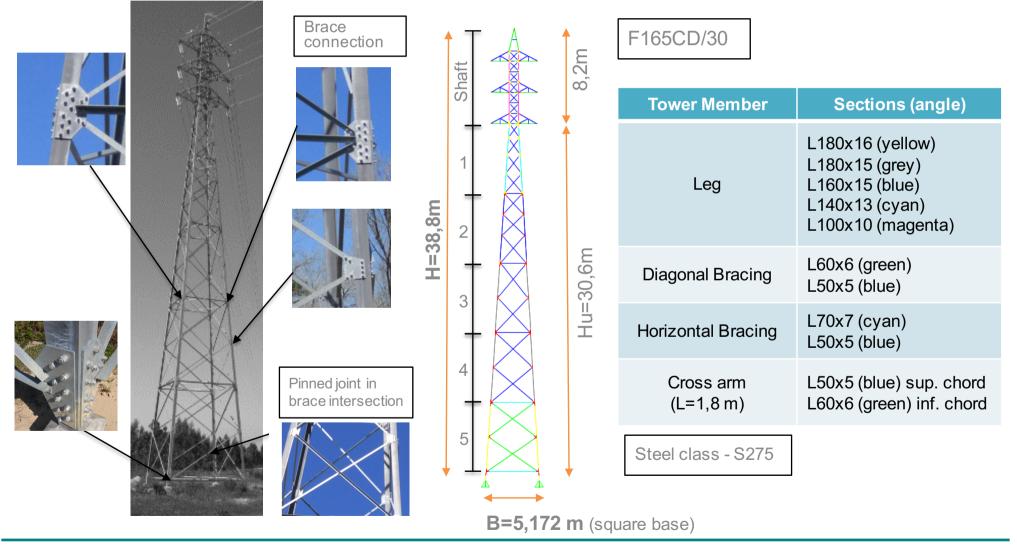
Overhead Power-Line Layout

Previously RADAR Monitored Tower

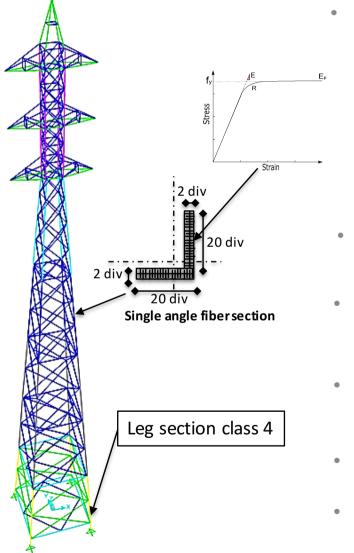


Case Study Presentation – 3D View

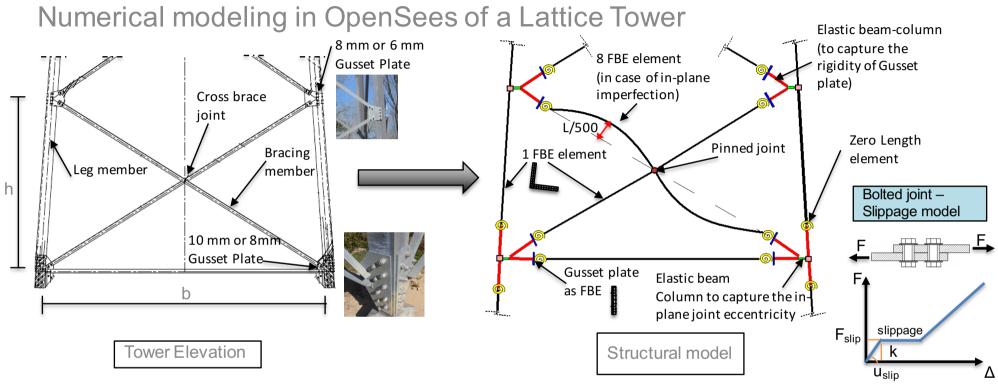
Overhead High Voltage Line - Sub-transmission <u>60 kV Line</u> from EDP, DISTRIBUIÇÃO located in the North of Portugal



Numerical modeling in OpenSees of a Lattice Tower

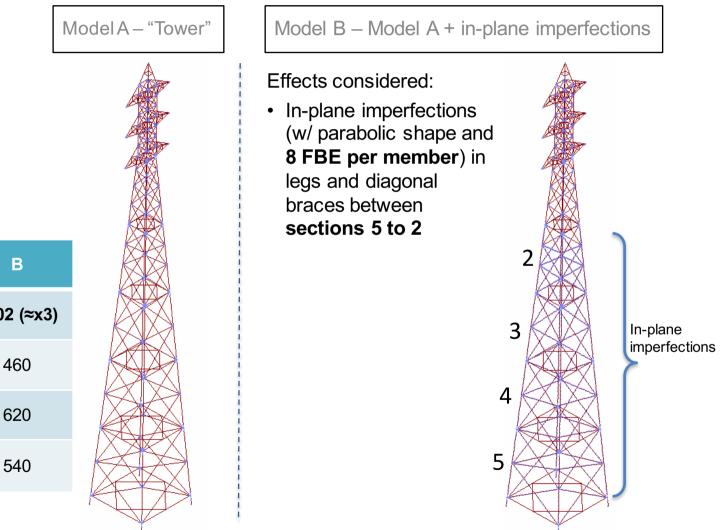


- Forced-based elements (FBE) were used (plasticity spread along the element length) for the main members (leg, braces and arms);
 - Fiber section were considered to generate the cross section with two rectangular patches (20x2 per patch)
 - Three integration points per element
 - Element torsional properties have been added to the fiber nonlinear beam element with the section aggregator command
 - **One FBE per member** and **eight FBE** when modelling in-plane imperfection (L/500-parabolic shape)
- Gusset plates were modeled combining elastic Beam-Column and FBE (two integrations points per element)
- The **material model steel02** uniaxial Giuffre Menegotto-Pinto material is used for steel fibers with extensions included for kinematic and isotropic hardening
- The **MinMax material model** wrapped around steel02 is used for leg members with **class section 3/4** (to ensure elastic behavior)
- Corotational geometric transformation was adopted to take into account the geometric nonlinearities
- Only **in-plane joint eccentricities** were considered in the modelling



- Cross brace joint, modelled with Equal dof constraints (translation and torsional dof)
- Gusset Plates (GP) connection modelled as:
 - Assumed as "rigid" elastic beam-column element with 10*A,10*I of the connected member;
 - The **GP modeled** with a FBE of **length** 2*thickness_plate and **width** based on Whitmore width (to capture out-plane resistance of the GP);
- Zero length elements to simulate the **slippage joint behavior** (ignored at the moment in the present results) for the **axial d.o.f.**

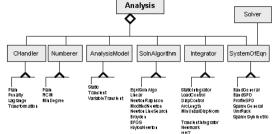
Numerical modeling in OpenSees of a Lattice Tower



Model	А	В
N° of FBE (member)	642	1902 (≈x3)
№ of FBE (Gusset Plate)	460	460
Nº elastic beamcolumns	620	620
Nº Zerolength elements	540	540

Pushover analysis in OpenSees of a Lattice Tower

Analysis Strategy

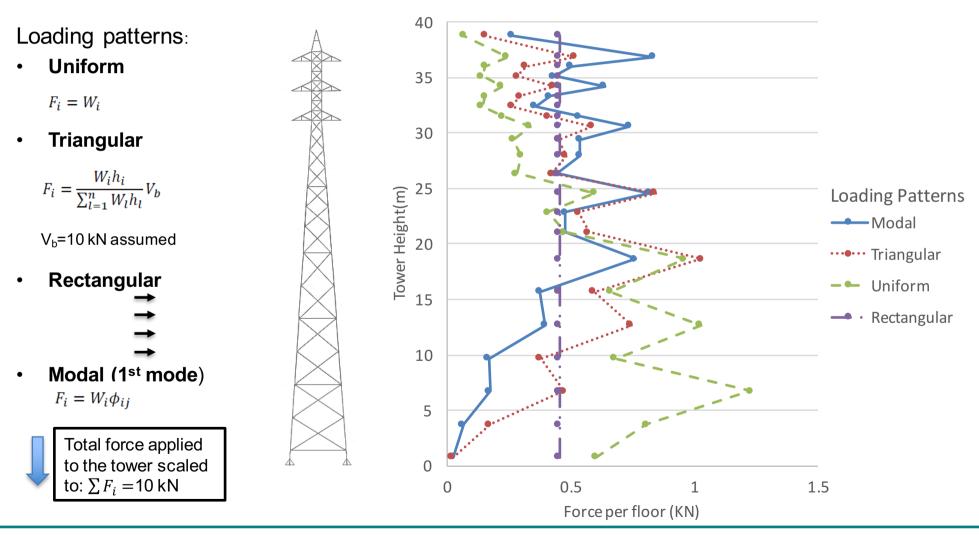


- Because of the **material and geometrical nonlinearities**, an iterative solution is required:
 - **Newton method with line search solution algorithm** was selected to achieve rapid convergence, determines the sequence of steps taken to solve the non-liner eq. at the current step;
 - solution algorithm uses an energy increment test, which checks the positive force convergence if half of the inner-product of the displacement increment and the unbalanced force is smaller than a tolerance equal to Tol=10⁻⁴
 - The equations are formed using a **Umf pack scheme** (a sparse system of equations SOE), within the solution algorithm, it specifies how to store and solve the SOE in the analysis
 - A reverse Cuthill-McKee degree-of-freedom numbering object to provide the mapping between the degrees-of-freedom at the nodes and the equation number, in order to reduce the storage bandwidth.
 - The constraints determines how the constraint equations are enforced in the analysis, in this study a **Transformation constraint** handler was used
- **Gravity analysis** : ten load steps are performed by using a **load control integrator** for the vertical loads: self-weight of the structure
 - Elements (legs and brace) in tower model were subjected only to end forces
- **Pushover analysis**: a tentative 1000 displacement steps are performed by using a **displacement control integrator** of the tower top node up to 1% of tower height

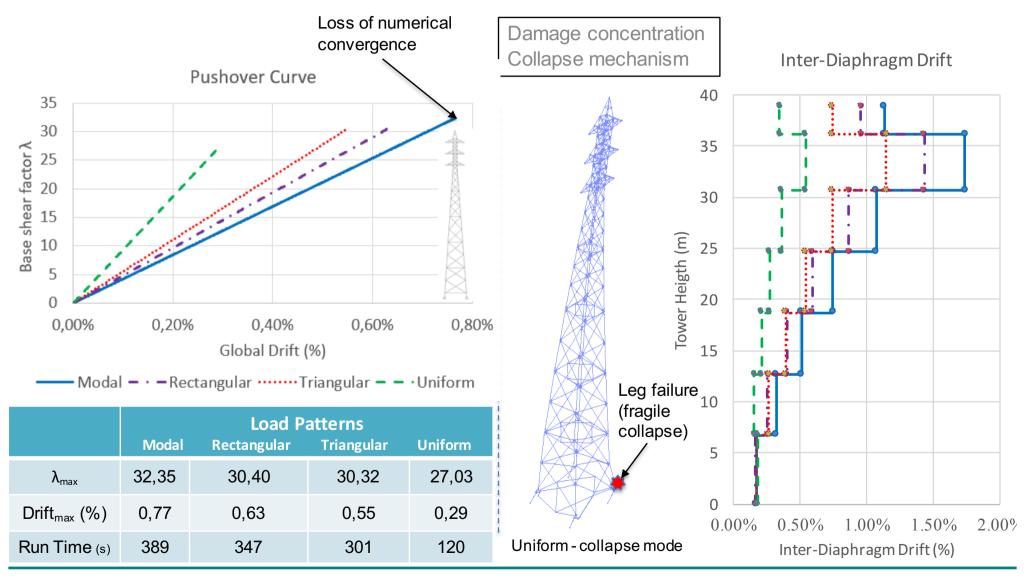
Model validation in elastic range (SAP2000 vs OpenSees – Model A)

Modal Analysis Static Analysis												
i					Model							
Frequency	Model			Static analysis		SAP	AP2000 OpenSees		es Di	fference (%)		
rrequency	SAP2000	OpenSees	Difference (%)	D _{top} (mm	ו)	92	92			1,1%		
f ₁ (Hz)	3,53	3,47	1,7%	N _{leg,Support} (k	kN) 150,67		150,68	5	0,1%			
f ₂ (Hz)	3,53	3,47	1,7%	$\sigma_{leg_max,support}$	(MPa) 27,3		27,3		0,0%			
f ₃ (Hz)-local	5,66	5,66	0,0%	Control section								
f ₄ (Hz)-local	6,83	6,79	0,6%	Analysis options (10 load steps are performed)								
f_5 (Hz)-local	7,65	7,58	0,9%		Default			A		В	С	
Not the final models			Constraints	Tran	Transf.		Tranf.		anf.	Tranf.		
		Numberer	RCM		RCM		R	СМ	RCM			
		<u>System</u>	UmfP	UmfPack Ban		IndGeneral		dSPD	ProfileSPD			
			Test	EnergyIncr		EnergyIncr E		Ener	gylncr	EnergyIncr		
			Algorithm	NewtonLine Search		NewtonLine N Search			onLine arch	NewtonLine Search		
Mode Shapes SAP2000 f1,f2				Integrator	Load control		Load control Lo		Load	control	Load control	
				Run Time (s)	4		218 (218 (x54,5)		(x22)	<mark>22</mark> (x5,5)	

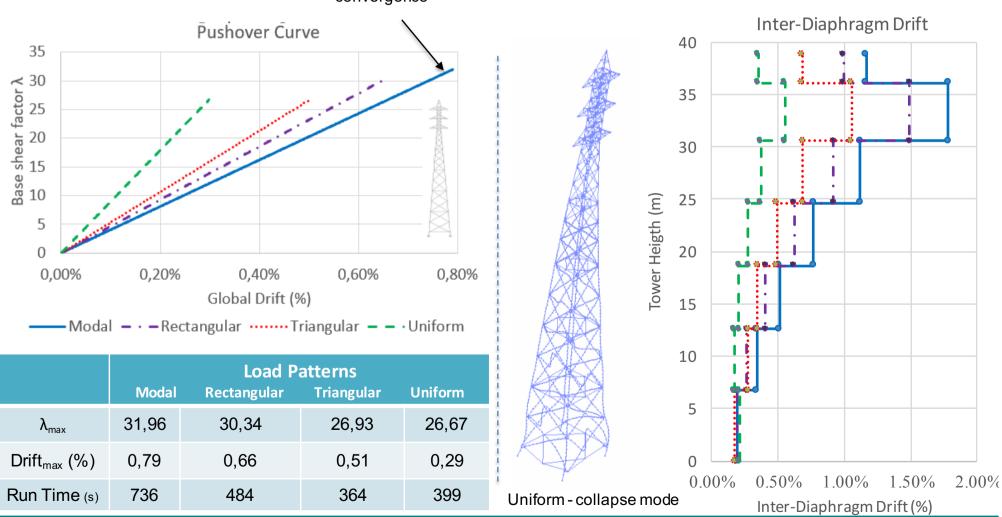
Loading Patterns Distributions considered for the Pushover Analysis



Pushover Curves-Model A (without imperfections)

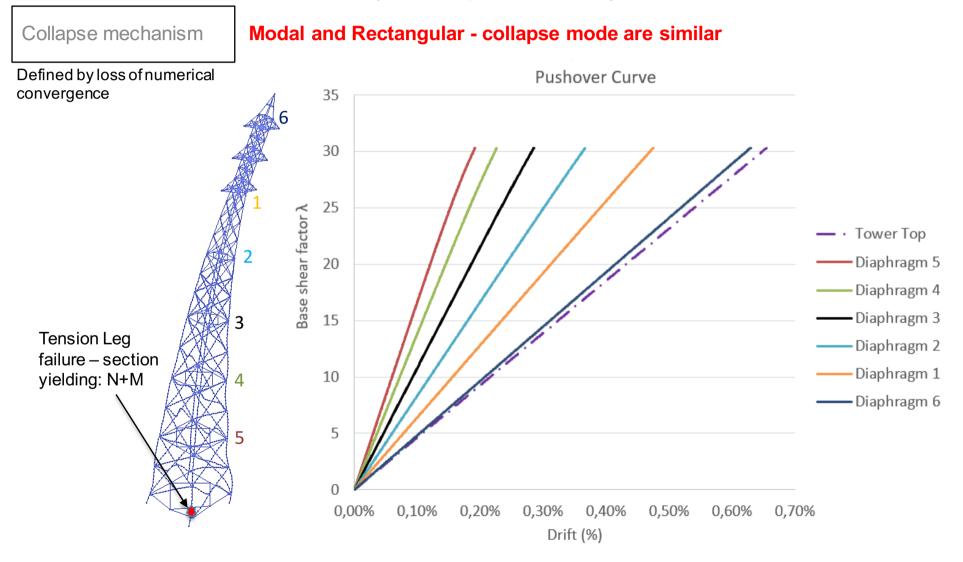


Pushover Curves–Model B (with imperfections)



Loss of numerical convergence

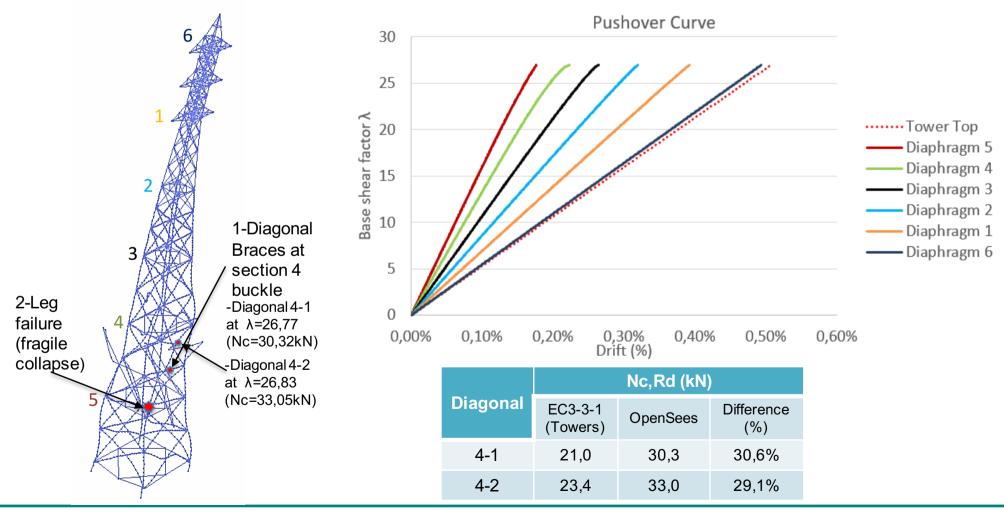
Pushover Curves-Model B (with imperfections)



Pushover Curves-Model B (with imperfections)

Collapse mechanism

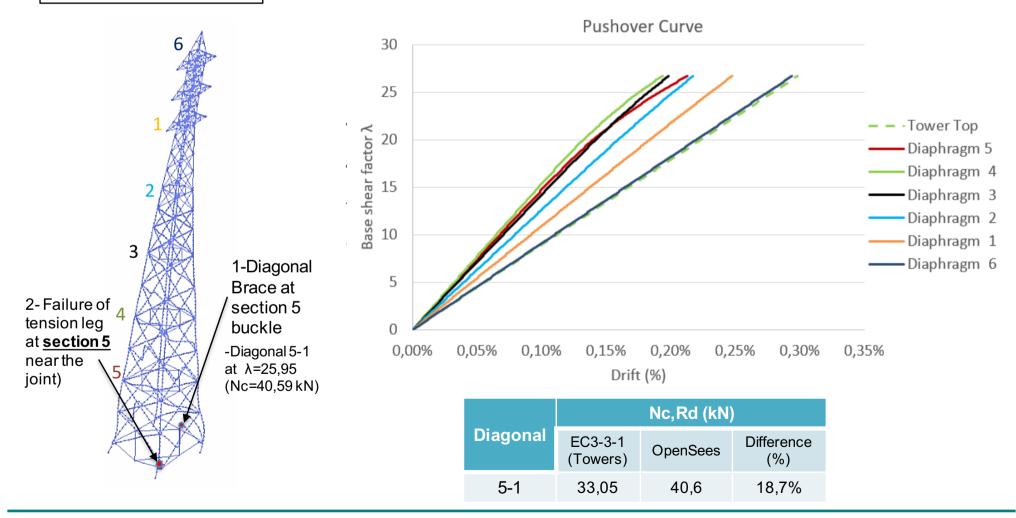
Triangular - collapse mode



Pushover Curves-Model B (with imperfections)

Collapse mechanism

Uniform - collapse mode



Conclusion and Future Developments

Main Conclusions

The <u>Model B</u> (Tower with imperfections) simulates more closely the potential collapse behavior mode of the isolated lattice tower. Although the model A (Tower without imperfections) in terms **total base shear** and **global drift** provides almost the **same results as model B** (except for the triangular load pattern) it **cannot represent the actual sequence of collapse**.

For the present structure the **uniform load pattern** serves as a **<u>upper bound</u>** and the **modal load pattern** as a **<u>lower bound</u>** of the induced base shear.

Diagonal Braces contribution to the **energy dissipation of the system** seems <u>insignificant</u> (the structure shows a near-elastic behavior up to collapse, ductility capacity μ =1), meaning that the tower still has important strength reserves to explore.

Future Developments

Experimental characterization of typical **joint slippage** behavior in lattice towers in Portugal through laboratory testing

Development of **fragility curves** for Earthquake and Wind Hazards (more focus given to the Wind Hazard)

Computation of the **seismic and wind risk** (defined as a annual probability of failure) of the isolated tower and a simplified "tower+cable" system

Thank you!